

```

LagrangePoly[x0_, f0_] :=
Module[{xi = x0, fi = f0, n, m, ploy}, n = Length[xi];
m = Length[fi];
If[n ≠ m, Print["List of points and function values are not of same size"]];
For[i = 1, i ≤ n, i++,
L[i, x_] = (Product[Divide[x - xi[[j]], xi[[i]] - xi[[j]]], {j, i - 1}) *
(Product[Divide[x - xi[[j]], xi[[i]] - xi[[j]]], {j, i + 1, n}]);
poly[x_] = Sum[L[k, x] * fi[[k]], {k, n}];
Return[poly[x]];]

```

### Question 1

```

abscissas = {0, 1, 3};
functionvalues = {1, 3, 55};
LagrangePoly[x_] = Simplify[LagrangePoly[abscissas, functionvalues]];
Print["Lagrange Polynomial = ", LagrangePoly[x]]

```

Lagrange Polynomial =  $1 - 6x + 8x^2$

In[6]:= LagrangePoly[2]

Out[6]= 21

### Question 2

```

In[25]:= abscissas = {1, 3, 5, 7, 9};
functionvalues = {N[Log[1]], N[Log[3]], N[Log[5]], N[Log[7]], N[Log[9]]};
LagrangePoly[x_] = Simplify[LagrangePoly[abscissas, functionvalues]];
Print["Lagrange Polynomial = ", LagrangePoly[x]];
Plot[{LagrangePoly[x], Log[x]}, {x, 1, 10},
Ticks → {Range[0, 10]}, PlotLegends → "Expressions"]
Lagrange Polynomial =  $-0.987583 + 1.18991x - 0.223608x^2 + 0.0221231x^3 - 0.000844369x^4$ 

```

